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# Thermal Heterogeneity Induced by Smouldering Combustion in Homogeneous Porous Medium

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# Part I: Introduction

# Smouldering Combustion

**Smouldering Combustion** is defined as an **Exothermic Oxidation Reaction** occurring on the **Surface of an Organic Fuel**.

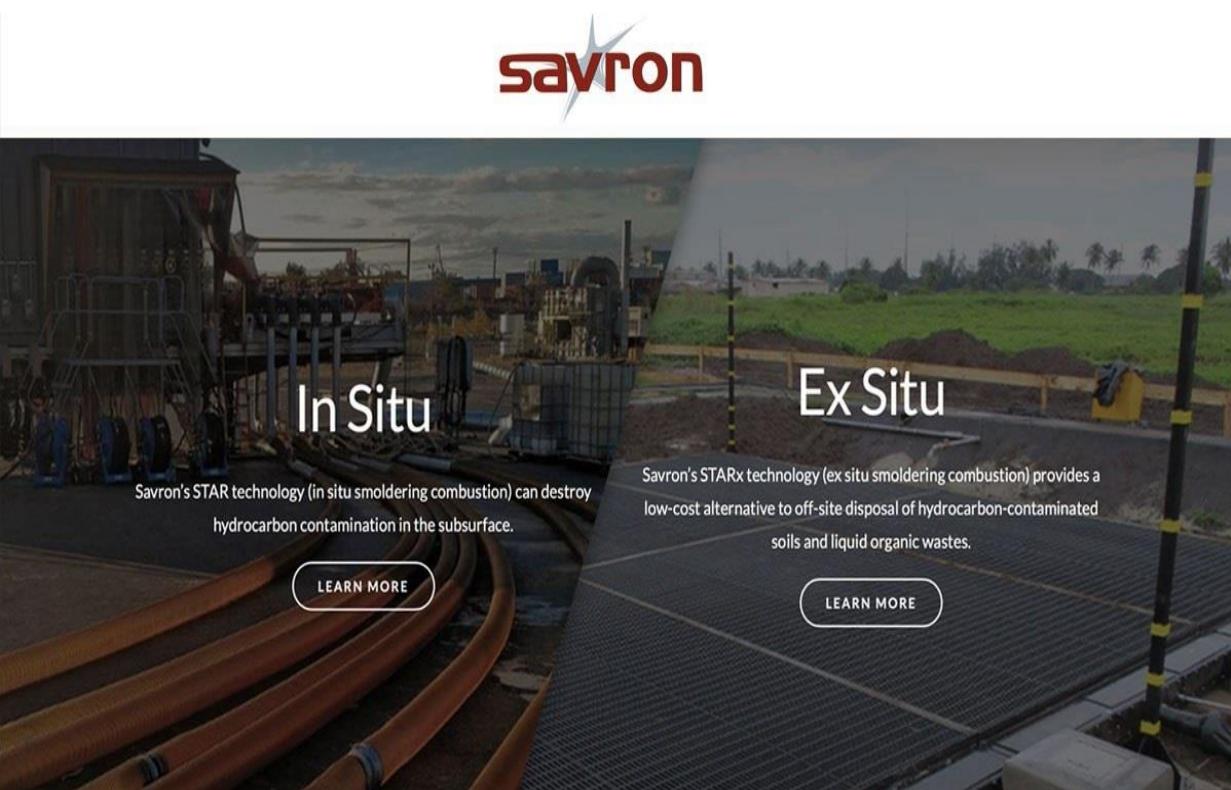
## Characteristics

- ✓ Slow Phenomenon
- ✓ Flameless
- ✓ Sustained by the Heat Recirculation
- ✓ Required Oxygen



Smouldering Combustion in Charcoal Barbecue

<https://en.wikipedia.org/wiki/Smouldering>



**In Situ**

Savron's STAR technology (in situ smoldering combustion) can destroy hydrocarbon contamination in the subsurface.

[LEARN MORE](#)

**Ex Situ**

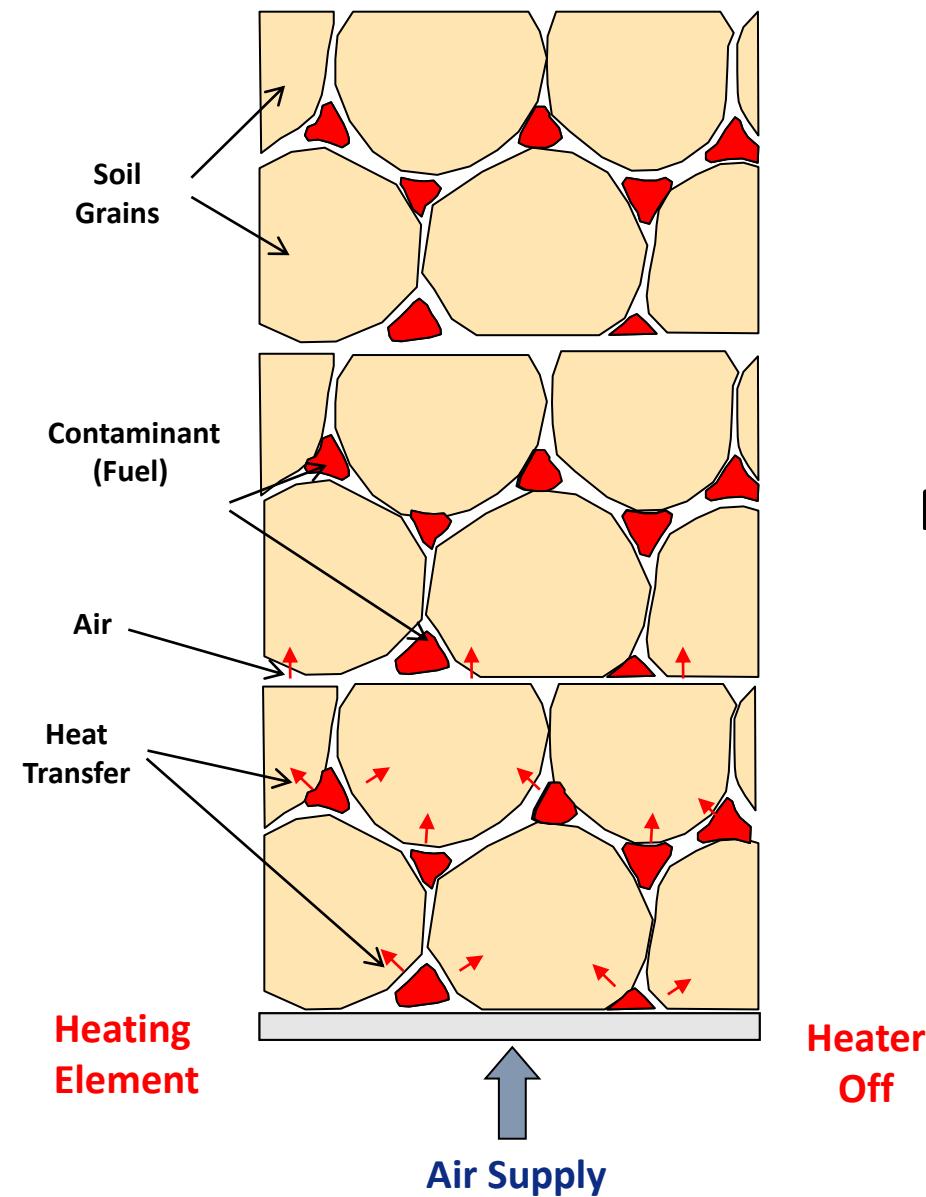
Savron's STARx technology (ex situ smoldering combustion) provides a low-cost alternative to off-site disposal of hydrocarbon-contaminated soils and liquid organic wastes.

[LEARN MORE](#)

STAR Technology based on Smouldering Combustion

<https://www.savronsolutions.com/>

# Smouldering Combustion in Inert Porous Medium



## Main Mechanisms:



**Fluid Flow (Darcy equation)**



**Heat Transfer (LTNE Energy equation)**



**Chemical Reaction (Arrhenius equation )**

<https://www.comsol.com/>

Introduction

Methodology

Results

Conclusion

# Objective



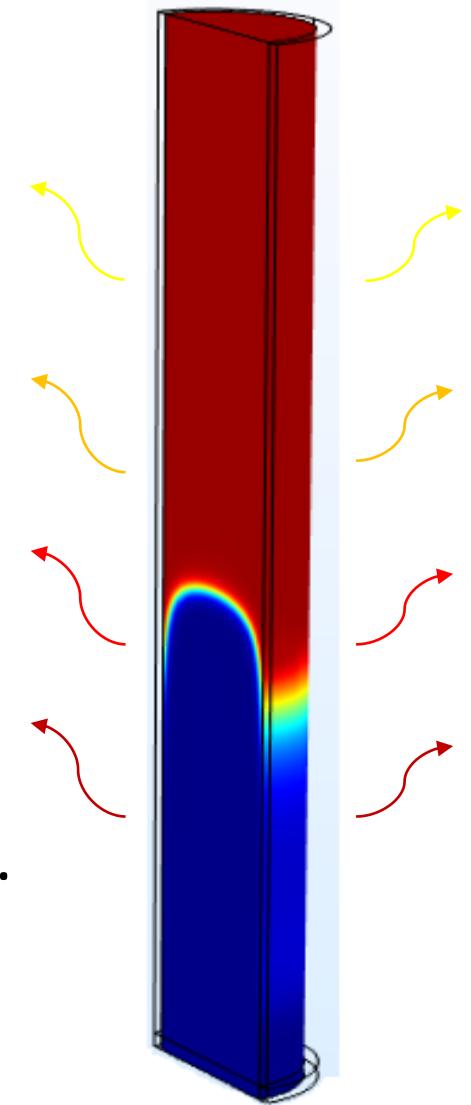
Validating a 2D Smouldering Model.



Investigating Energy Balance and Thermal Heterogeneity.



Performing Sensitivity Analysis of Radial Heat Transfer Coefficient.



Smouldering Front

# Part II: Methodology

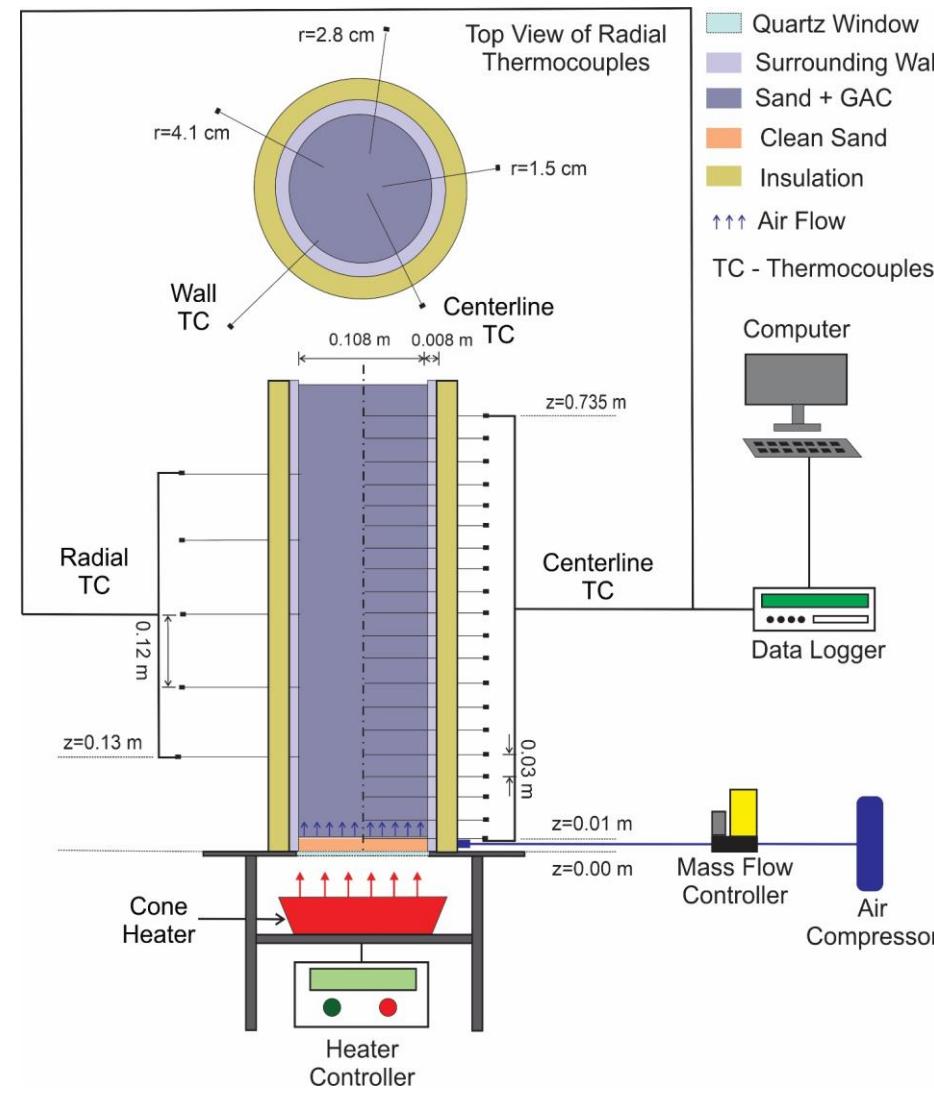


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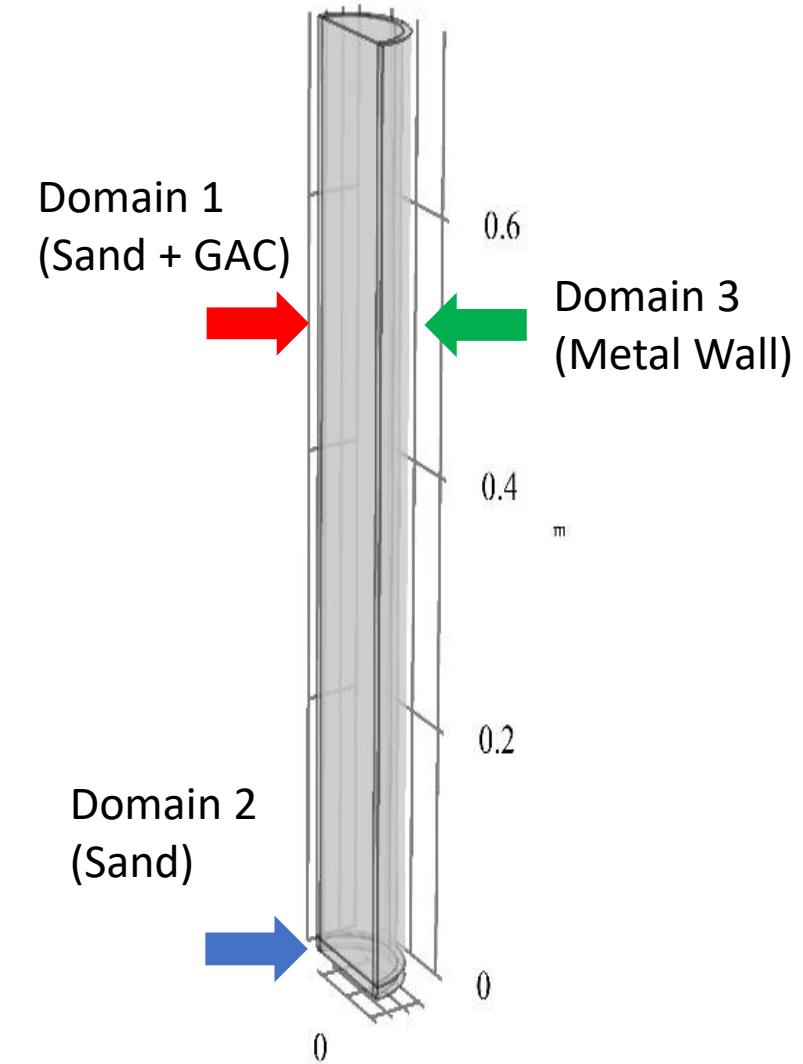
# Experimental Setup Vs Numerical Domain



Photograph of Column



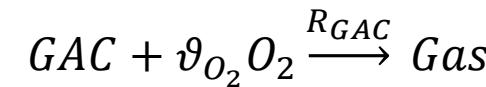
Schematic of Experimental Set up



Numerical Domain

# Governing equations (Smouldering Test)

1- Chemical Reaction:



2- Continuity equation:

$$\frac{\partial(\rho_g \varphi_g)}{\partial t} + \frac{1}{r} \frac{\partial(r \rho_g u_r)}{\partial r} + \frac{\partial(\rho_g u_z)}{\partial z} = (\rho_{GAC})(R_{GAC}) \quad (\text{Gas}) \quad \frac{\partial(Y_{GAC})}{\partial t} = -R_{GAC} \quad (\text{GAC})$$

3- Oxygen Transport Equation:

$$\varphi_g \frac{\partial(\rho_g Y_{O_2})}{\partial t} + \frac{\partial(\rho_g u_r Y_{O_2})}{\partial r} + \frac{\partial(\rho_g u_z Y_{O_2})}{\partial z} = \frac{1}{r} \frac{\partial}{\partial r} \left( r \varphi_g \rho_g D_g \frac{\partial Y_{O_2}}{\partial r} \right) + \frac{\partial}{\partial z} \left( \varphi_g \rho_g D_g \frac{\partial Y_{O_2}}{\partial z} \right) - (\rho_{GAC}) \vartheta_{O_2} R_{GAC}$$

4- Energy equation in solid:

$$(\rho C_p)_{eff} \frac{\partial T_s}{\partial t} = \frac{1}{r} \frac{\partial}{\partial r} \left( r k_{eff} \frac{\partial T_s}{\partial r} \right) + \frac{\partial}{\partial z} \left( k_{eff} \frac{\partial T_s}{\partial z} \right) + h_{sg} \left( \frac{A_{s,sp}}{V_{sp}} \right) (T_g - T_s) - \rho_{GAC} (\Delta H_{GAC} R_{GAC})$$

5- Energy equation in gas:

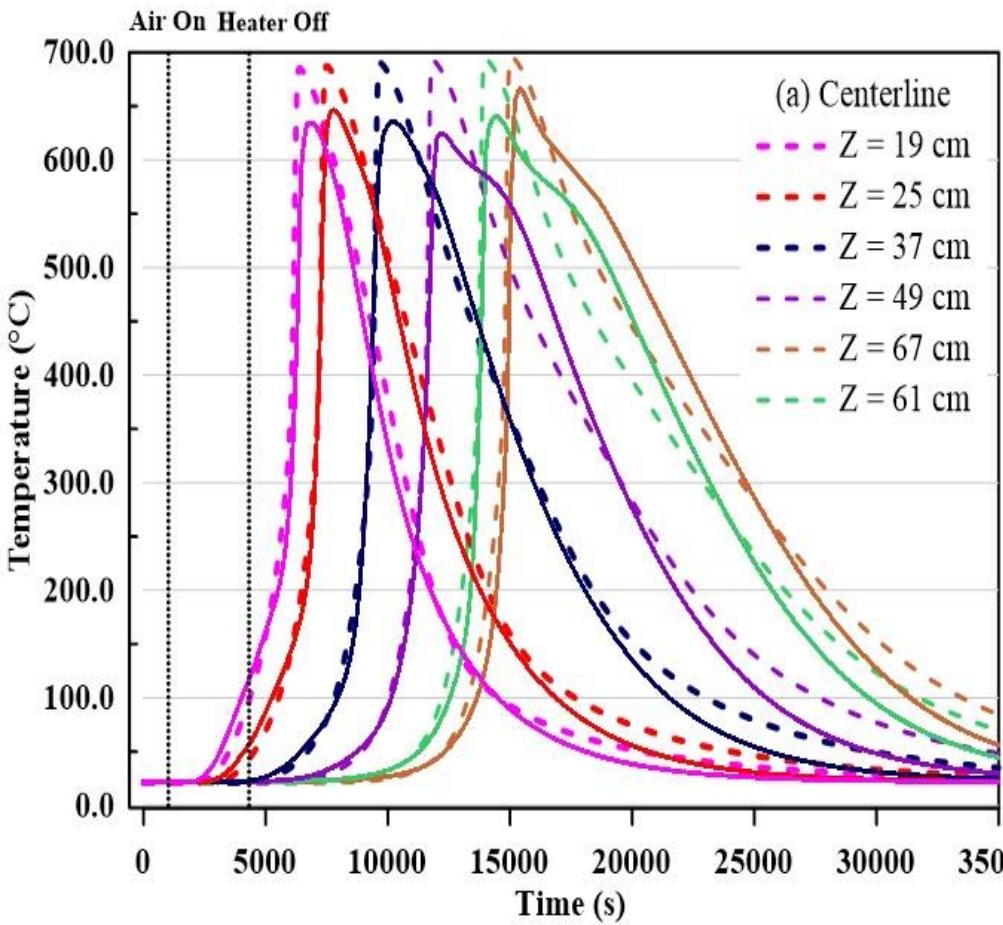
$$\varphi_g \rho_g C_{P_g} \frac{\partial T_g}{\partial t} + \rho_g C_{P_g} (u_r \frac{\partial T_g}{\partial r} + u_z \frac{\partial T_g}{\partial z}) = \frac{1}{r} \frac{\partial}{\partial r} \left( r \varphi_g k_g \frac{\partial T_g}{\partial r} \right) + \frac{\partial}{\partial z} \left( \varphi_g k_g \frac{\partial T_g}{\partial z} \right) + h_{sg} \left( \frac{A_{s,sp}}{V_{sp}} \right) (T_s - T_g)$$

# Part III: Results

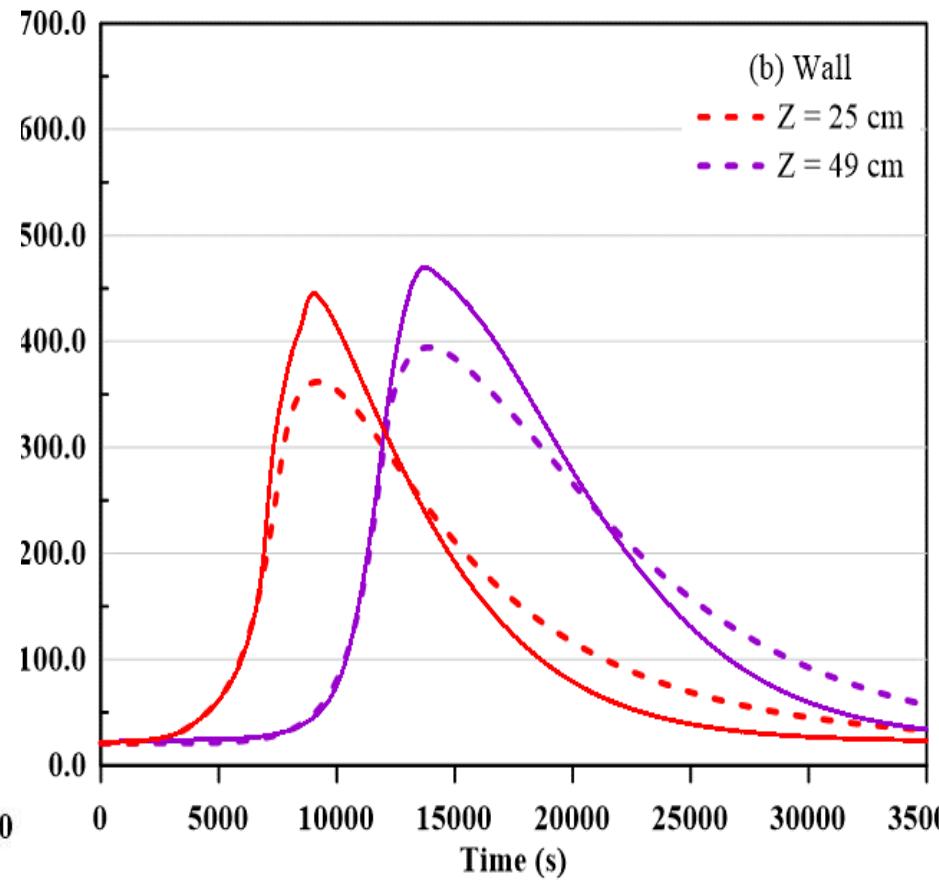


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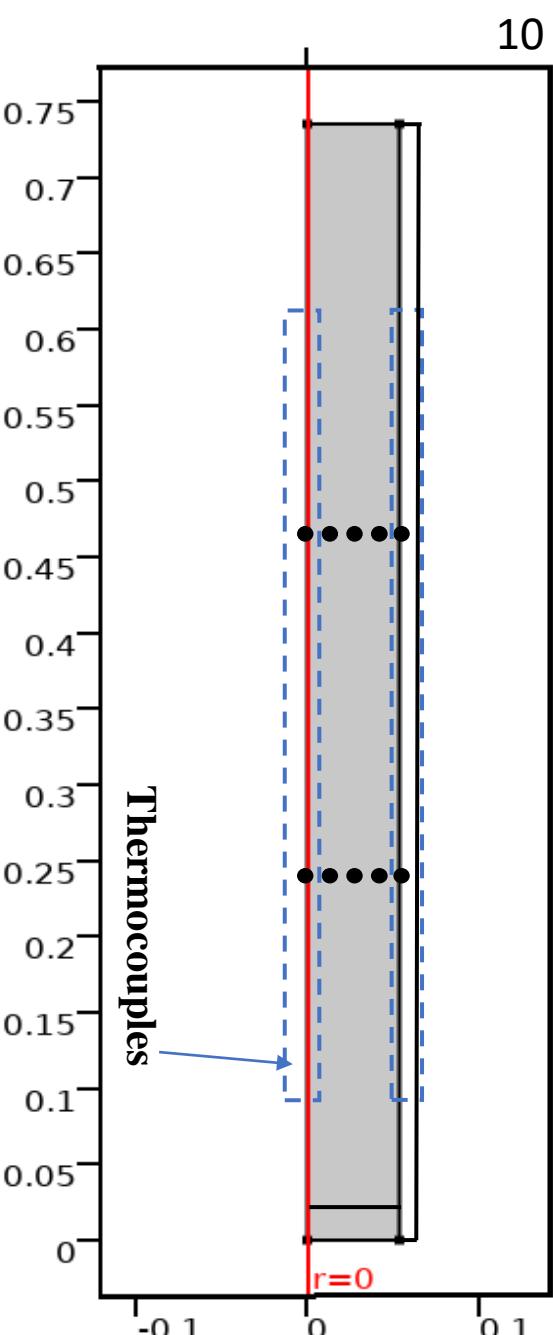
# Experimental vs Numerical Results (Model Calibration)



Centerline (Error = 4.6%)

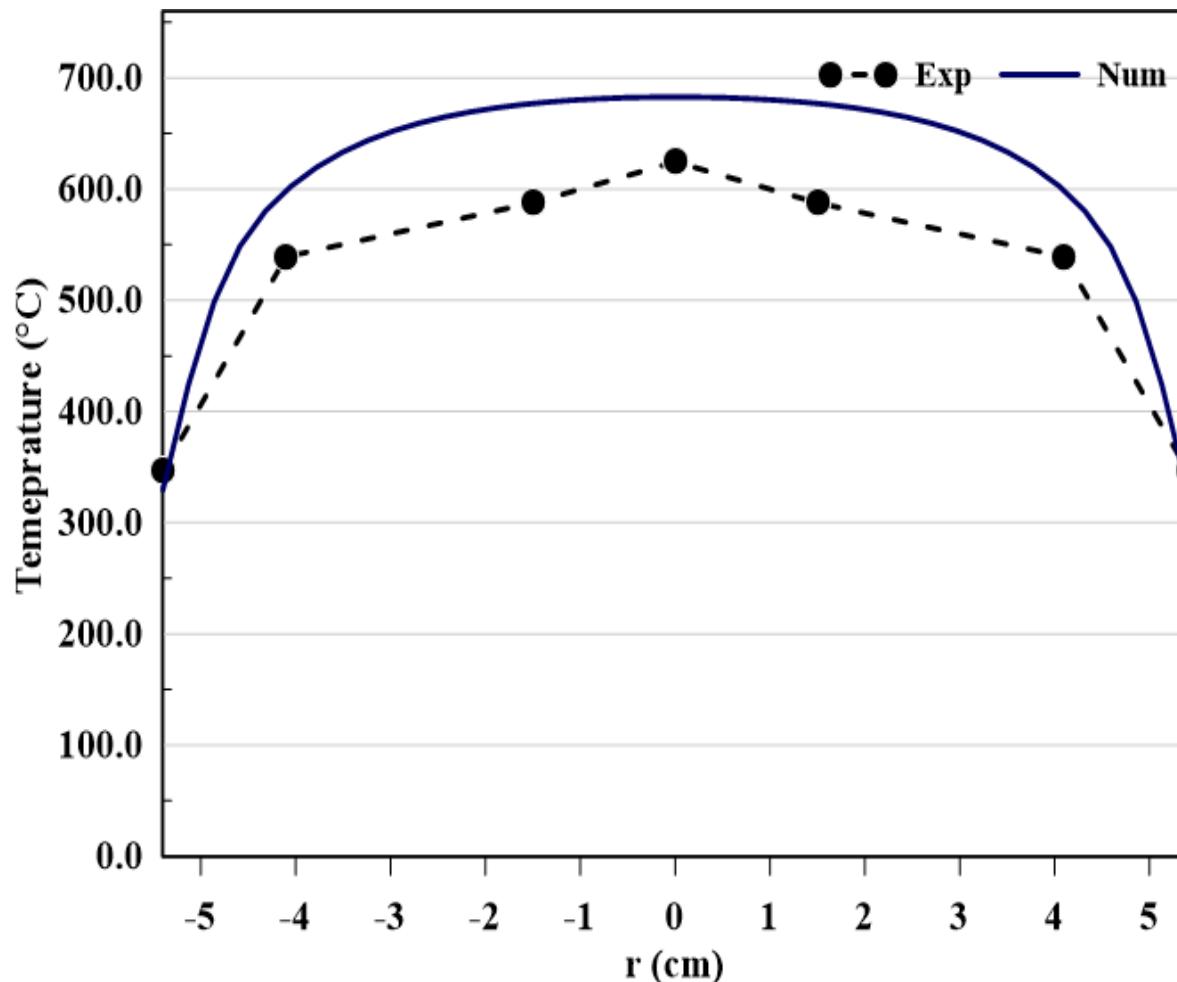


Wall (Error = 15.3%)

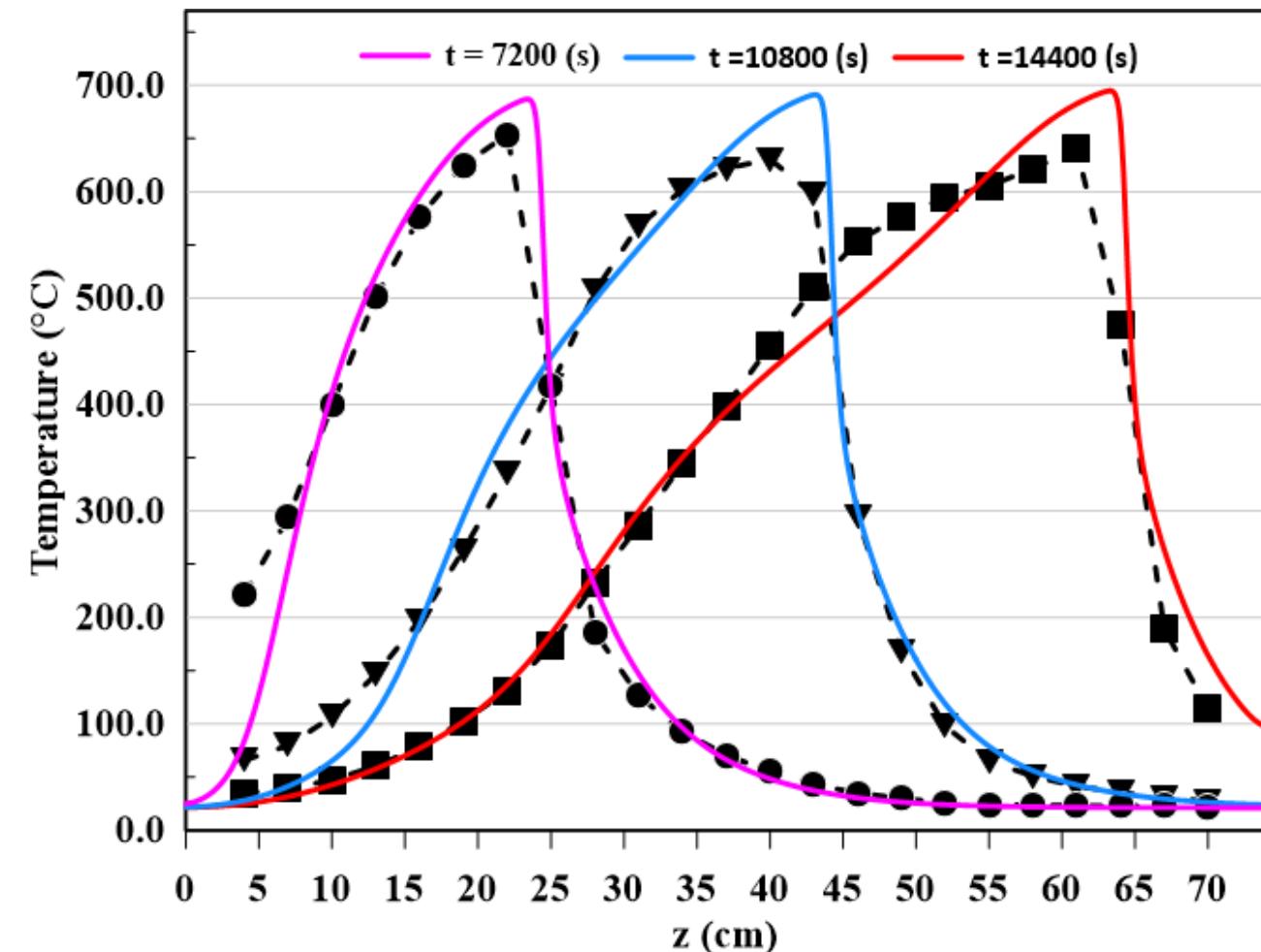


# Experimental vs Numerical Results (Spatial Temperature Distribution)

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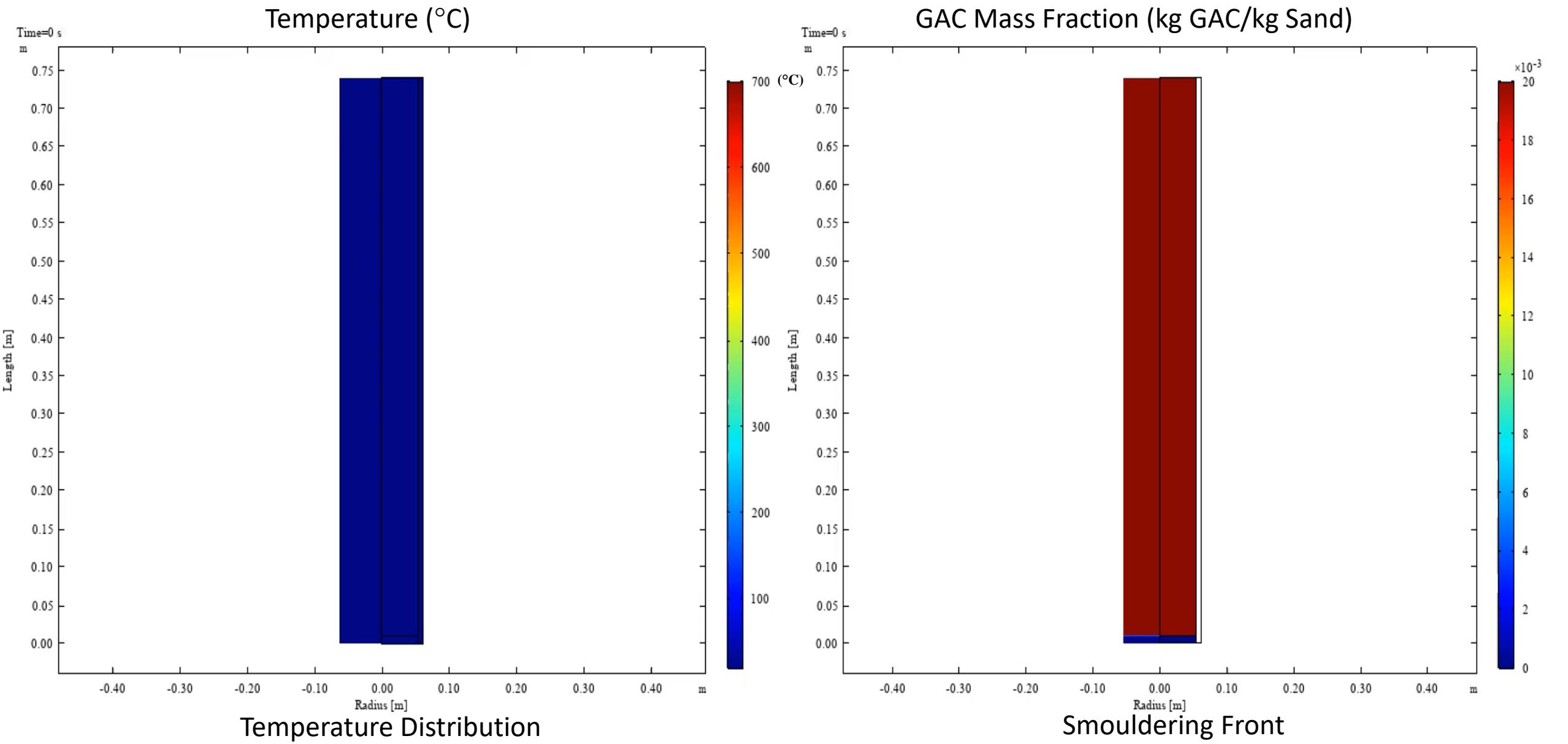


Radial Temperature Distribution



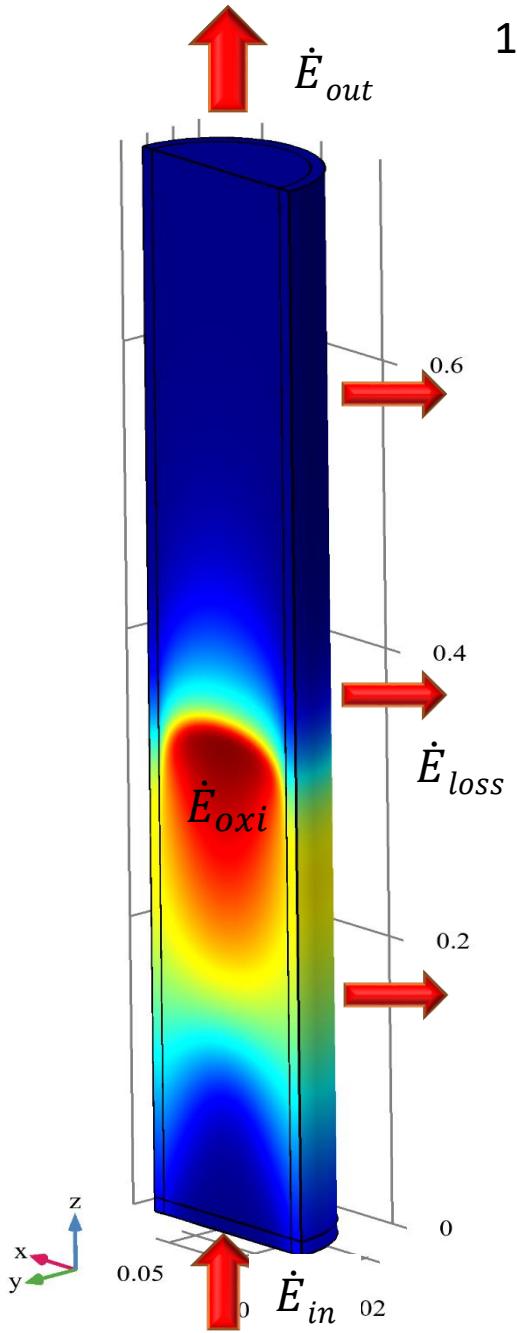
Longitudinal Temperature Distribution

# Numerical Simulation



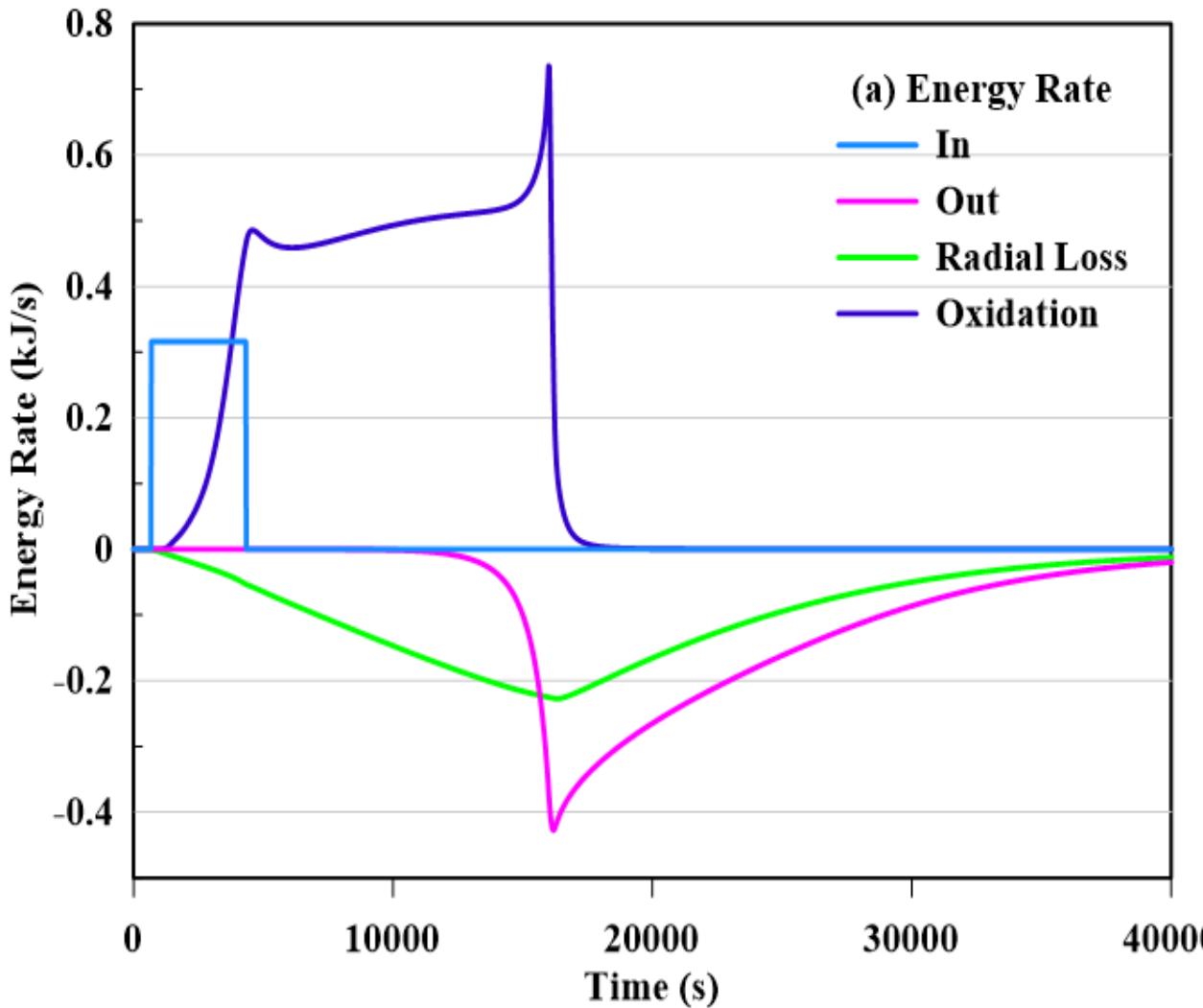
# Energy Balance Equations

- $\dot{E}_{in} = \int_0^R Q_0 2 \pi r dr$
- $\dot{E}_{loss} = \int_0^L H (T_{S(r=0.062)} - T_\infty) 2 \pi R dz$
- $\dot{E}_{out} = \int_0^R (\rho_g u_g) C_{p_g} (T_{g(z=0.735)} - T_\infty) 2\pi r dr$
- $\dot{E}_{oxi} = \iint_0^L -\Delta H_{GAC}(\rho_{GAC}) R_{GAC} 2 \pi r dr dz$

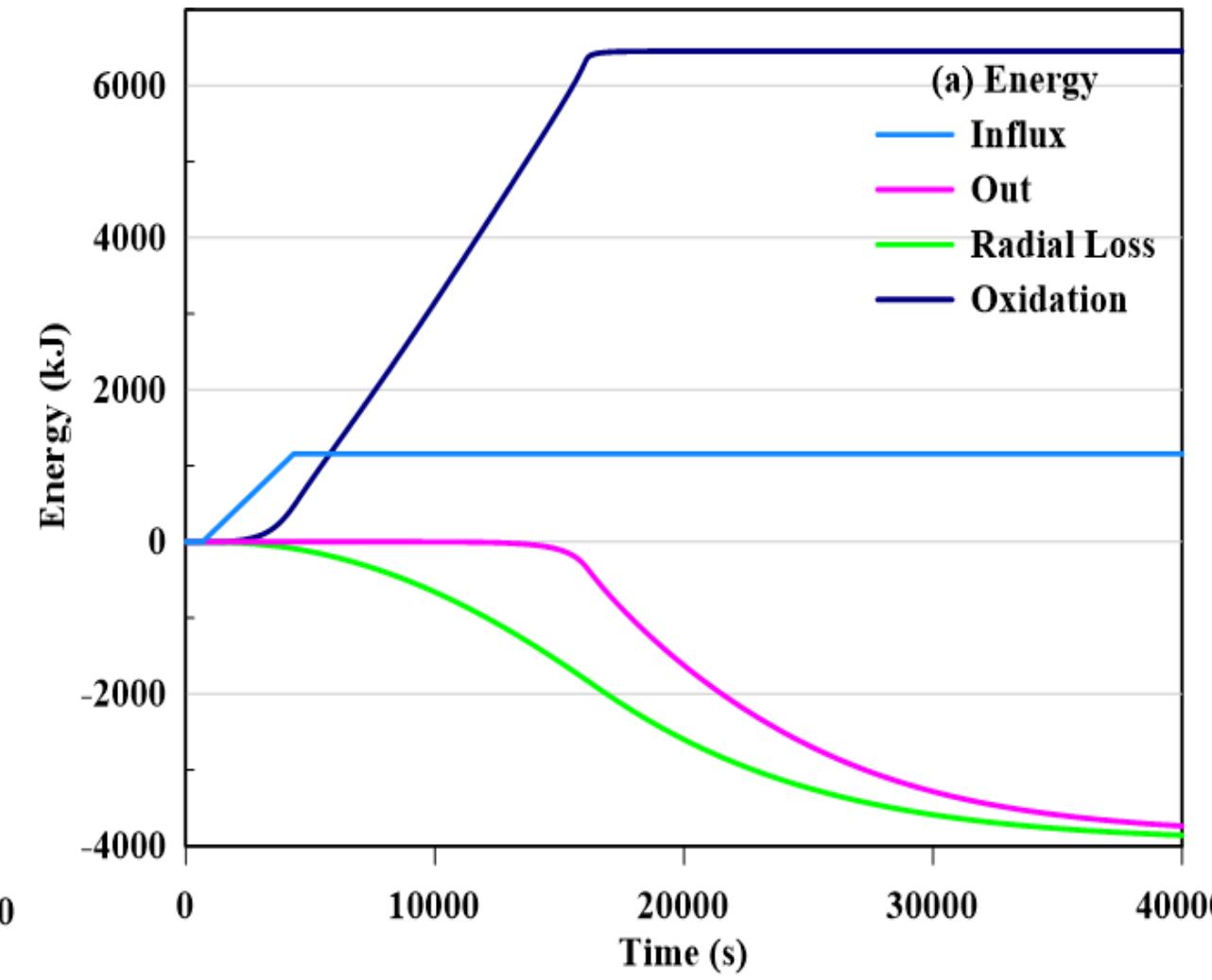


# Energy Analysis (Energy Rate – Cumulative Energy)

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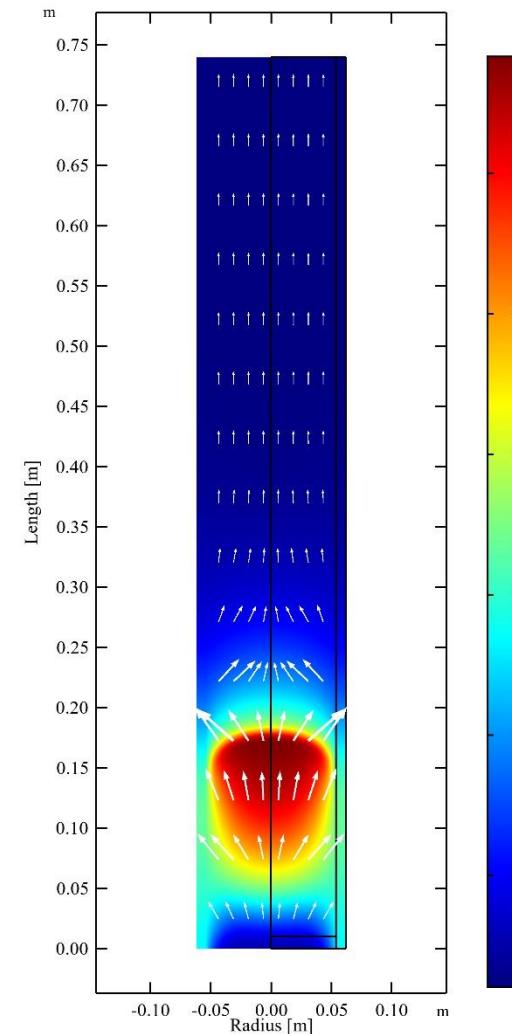
Rate of Energy



Cumulative Energy

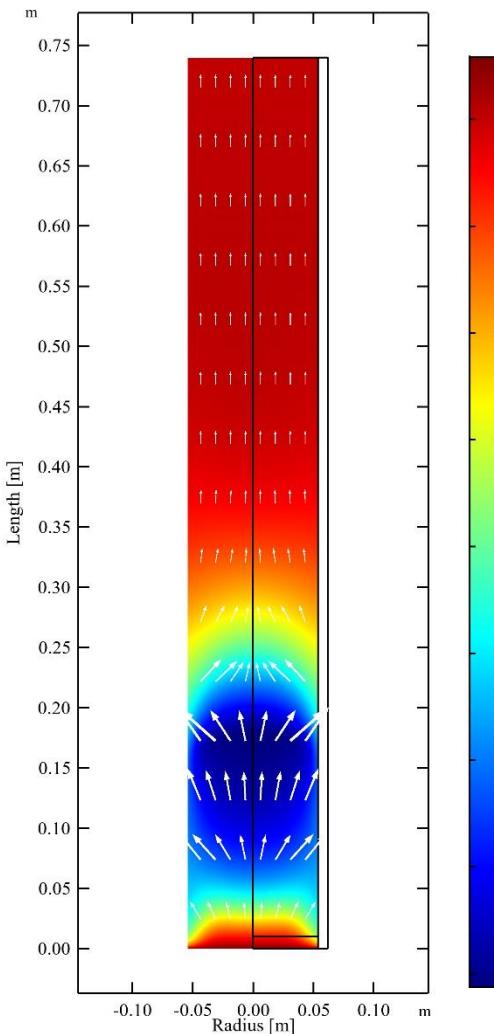
# Thermal Heterogeneity

Temperature (°C)



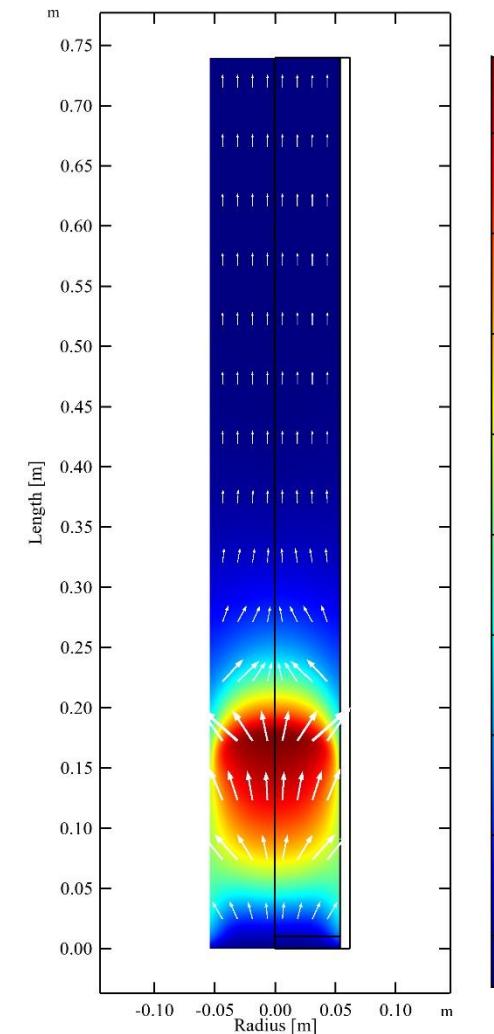
$$T_s$$

Density ( $\text{kg}/\text{m}^3$ )



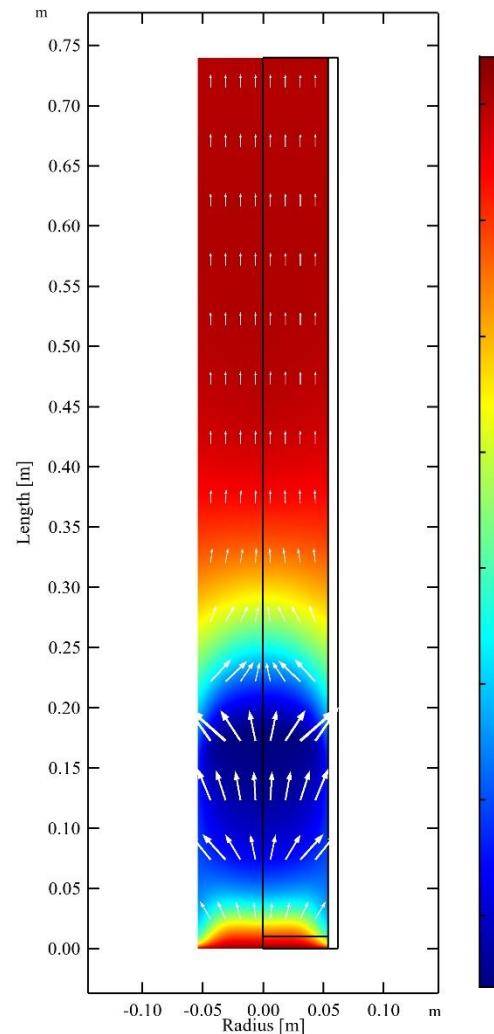
$$\rho_g = \frac{p}{R T_g}$$

Viscosity (Pa.s)



$$\mu$$

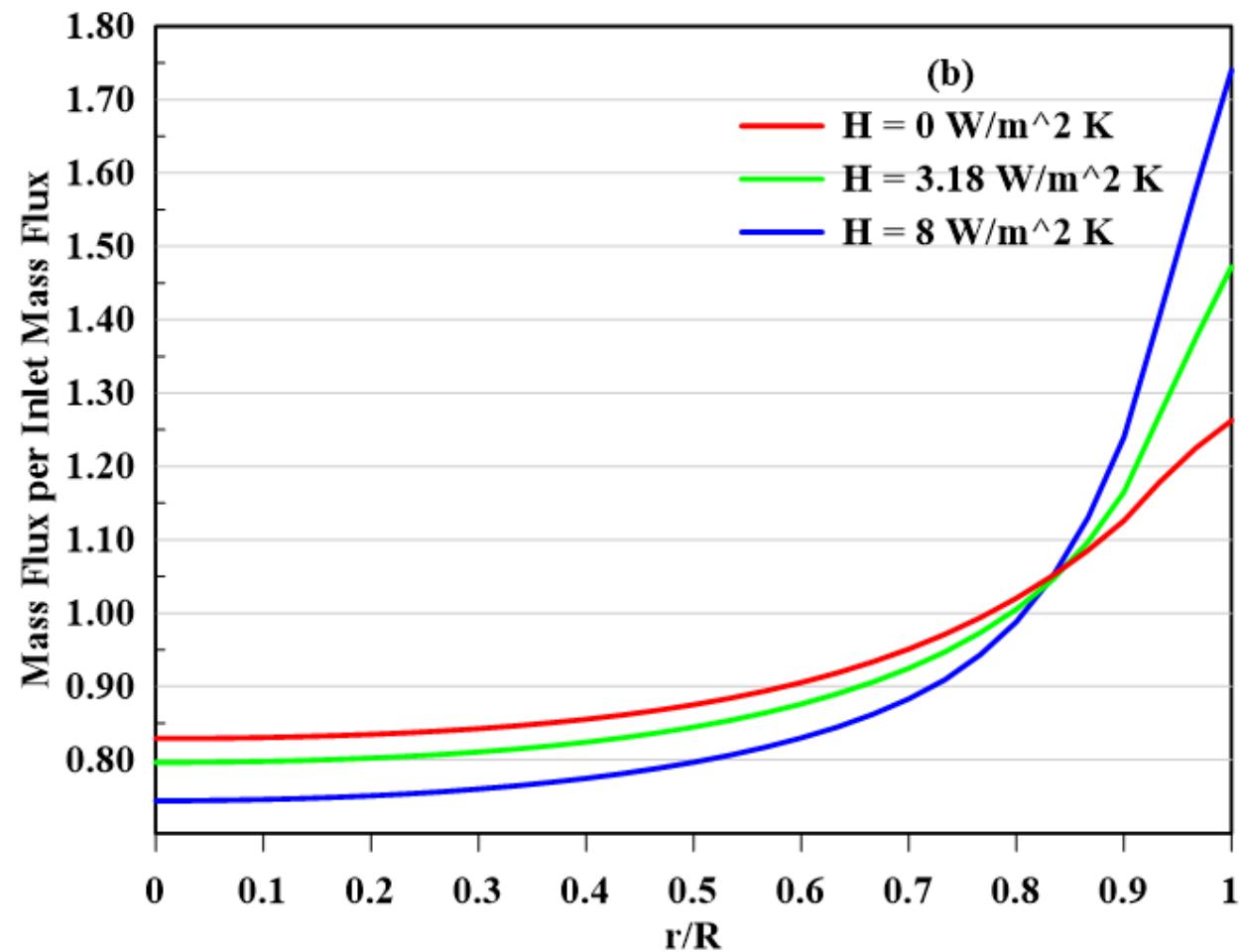
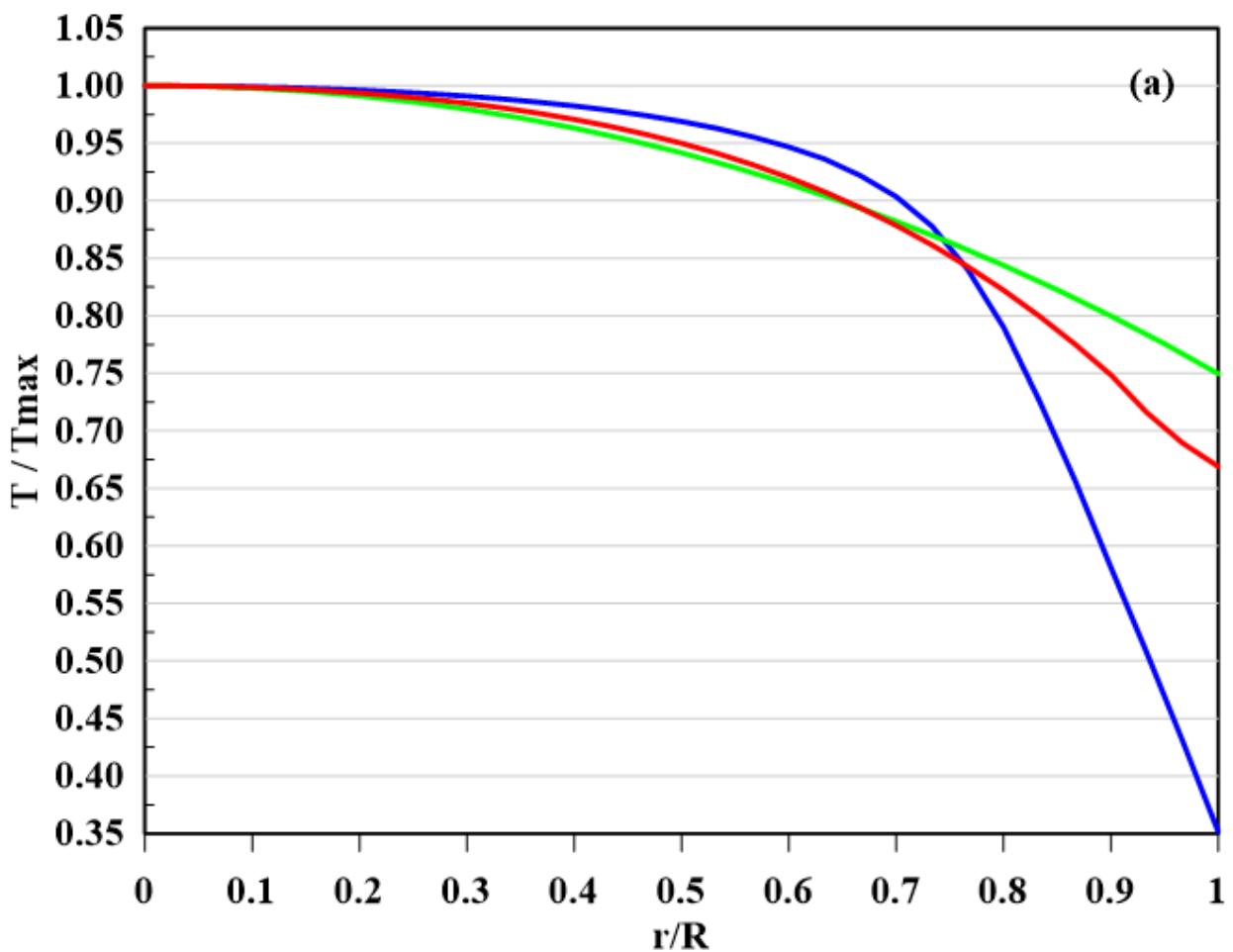
Pneumatic Conductivity ( $\text{m}/\text{s}$ )



$$K = \frac{k_p \rho_g g}{\mu}$$

# Sensitivity Analysis (Radial Heat Transfer Coefficient ( $H(W/m^2 K)$ )))

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Temperature Distribution

Mass Distribution

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# Part IV: Conclusion



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# Conclusion



**Radial Heat loss transferred 52% of Total Energy out of the system.**



**Outward trajectory of the air flux vectors around the Hot Region is associated with Higher Pneumatic Conductivity pathways near the wall.**



**Thermal Heterogeneity effects increases by increasing the Radial Heat loss.**

Thank you!



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