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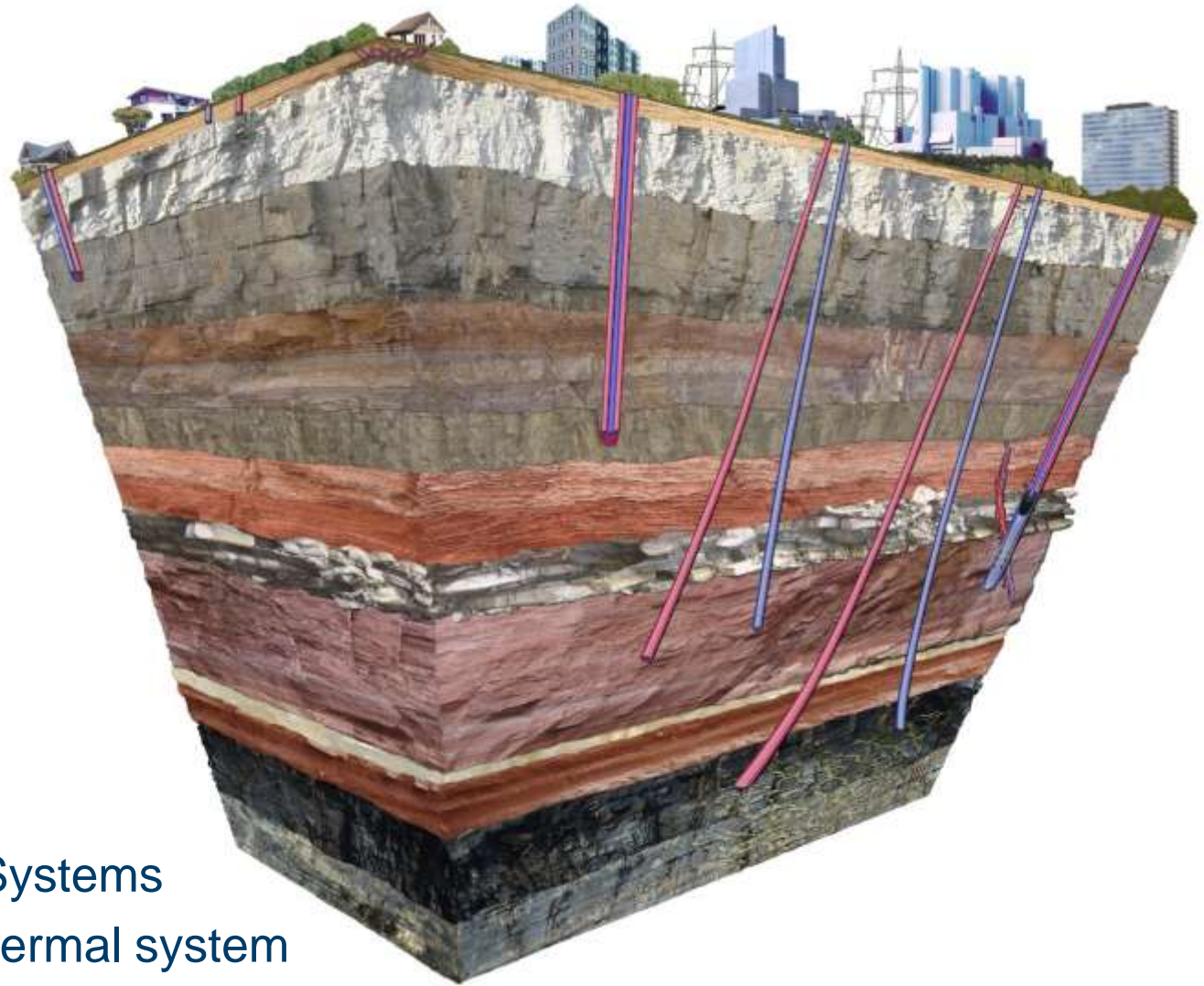
# Using Temperature Signals to Estimate Geometry Parameters in Fractured Geothermal Reservoirs

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## Objective



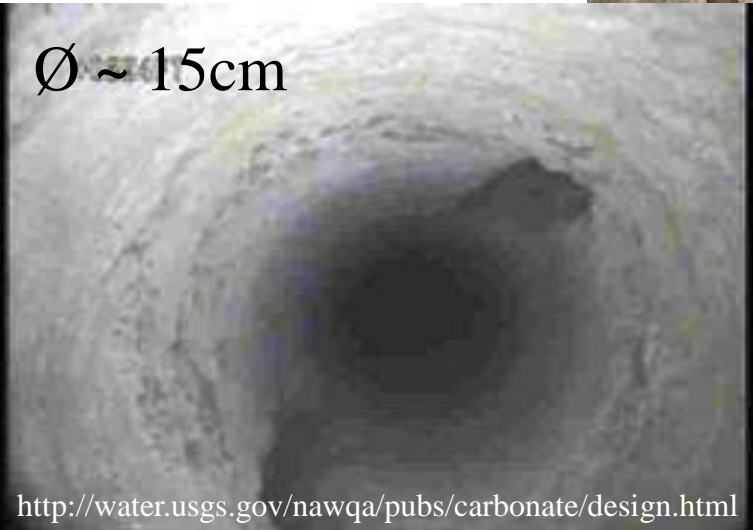
### Deep Geothermal Systems

- Enhanced geothermal system
- Naturally fractured reservoirs

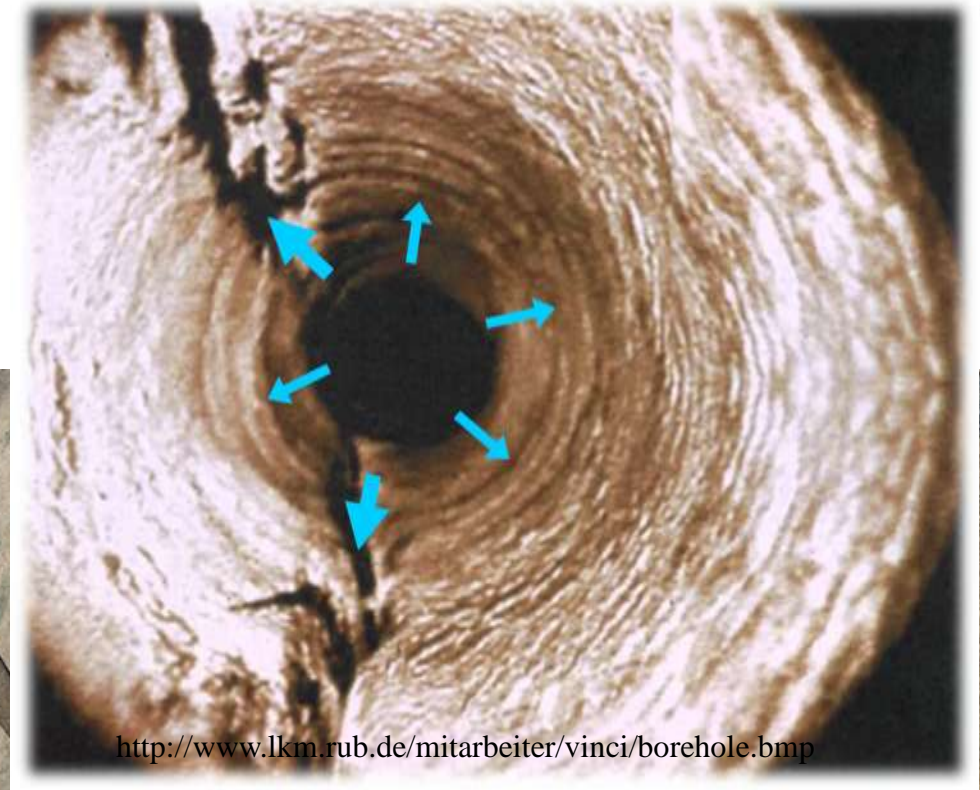


<http://water.usgs.gov/nawqa/pubs/carbonate/design.html>

$\varnothing \sim 15\text{cm}$



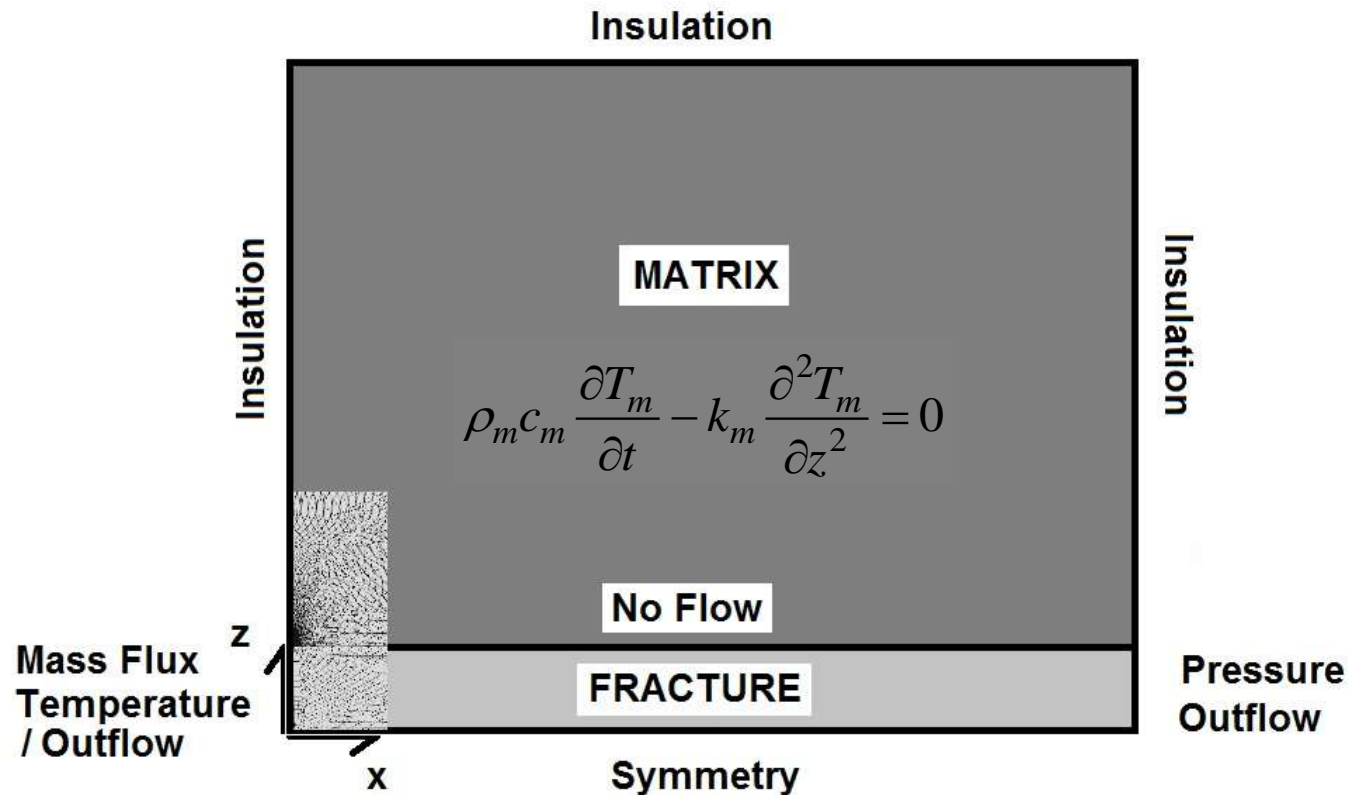
<http://water.usgs.gov/nawqa/pubs/carbonate/design.html>



<http://www.lkm.rub.de/mitarbeiter/vinci/borehole.bmp>

<http://public.bakerhughes.com/shalegas/fracturing.html>

## Idealized single fracture system



$$\left[ \rho_f c_f \frac{\partial T}{\partial t} \pm \rho_w c_w \phi u \frac{\partial T}{\partial x} - \frac{k_m}{b} \frac{\partial T_m}{\partial z} \right]_{z=0} = 0$$

## Analytical Solution

$$T_D = \int_0^{\min(1, \frac{t_n}{\lambda})} \frac{\exp\left(-\frac{\lambda^2 \alpha \omega^2}{4(t_n - \lambda \omega)}\right)}{\sqrt{\pi(t_n - \lambda \omega)}} \left( \frac{\lambda^2 \sqrt{\alpha} \omega}{2(t_n - \lambda \omega)} + \lambda \sqrt{\alpha} \right) d\omega + \int_0^1 \int_0^{\min(1-\eta, \frac{t_n+\eta}{\lambda})} \frac{\exp\left(\frac{-\alpha \omega^2}{4(1-\eta-\omega)}\right)}{\sqrt{\pi(1-\eta-\omega)}} \left( \frac{\lambda^2 \alpha \omega}{t_n + \eta - \lambda \omega} - \frac{\lambda \alpha \omega}{1-\eta-\omega} \right) d\omega d\eta$$

$$\operatorname{erfc}\left(\frac{\sqrt{\alpha} \omega}{2\sqrt{(1-\omega)}}\right) \frac{\exp\left(\frac{-\lambda^2 \alpha \omega^2}{4(t_n + \eta - \lambda \omega)}\right)}{2\sqrt{\pi(t_n + \eta - \lambda \omega)}}$$

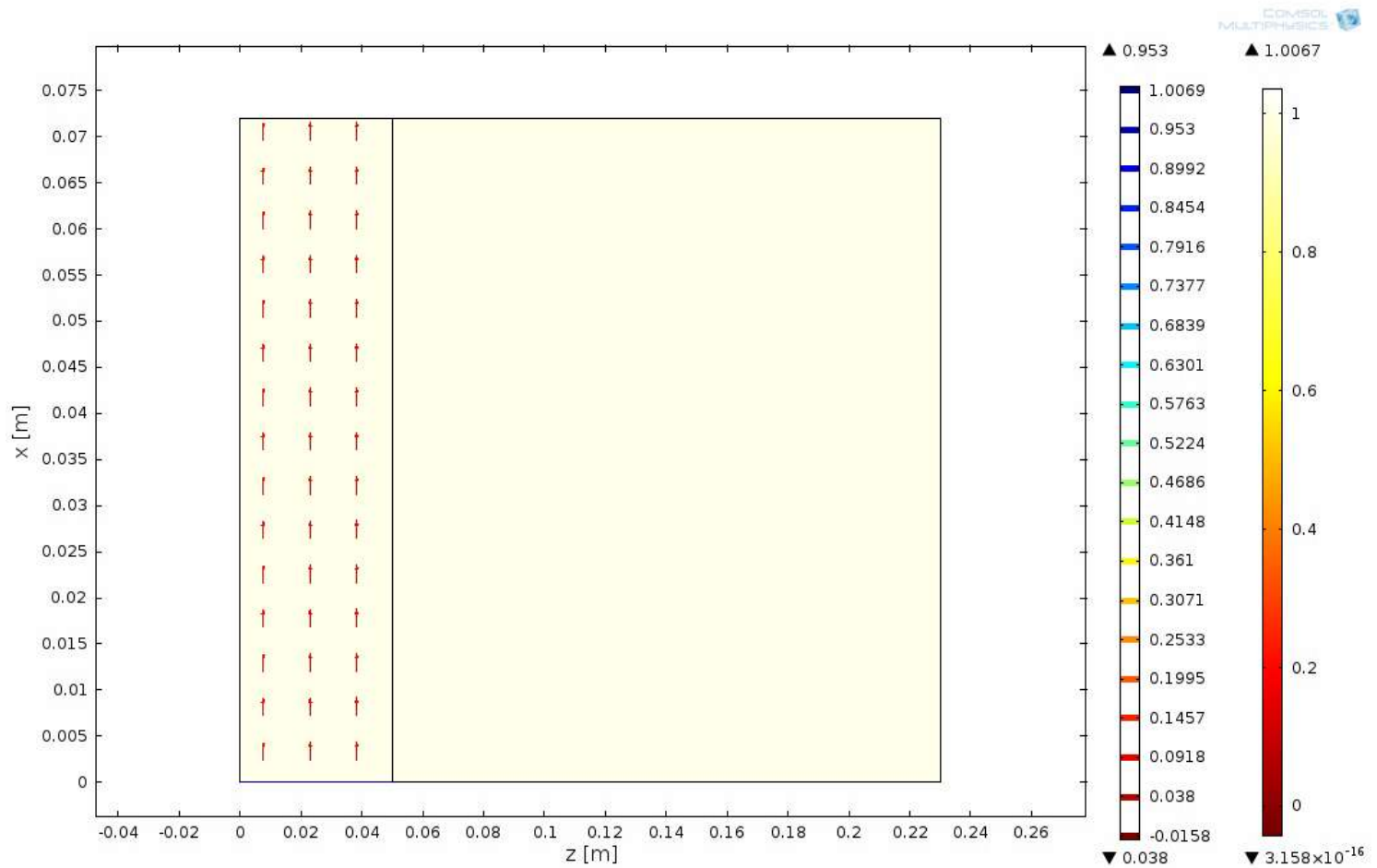
$$\alpha = \frac{\rho_R c_R k}{(\rho c)^2} \frac{t_i}{b^2}$$

## Implementation in Comsol 1

- Model setup
  - Boundaries are assumptions
  - Alpha dependend adjustment of model domain
  - Boundary mesh at the inlet and the fracture/matrix interface
- Numerical bottleneck
  - Step input of the Temperature
  - High resolution in space and time
- Cell peclet number

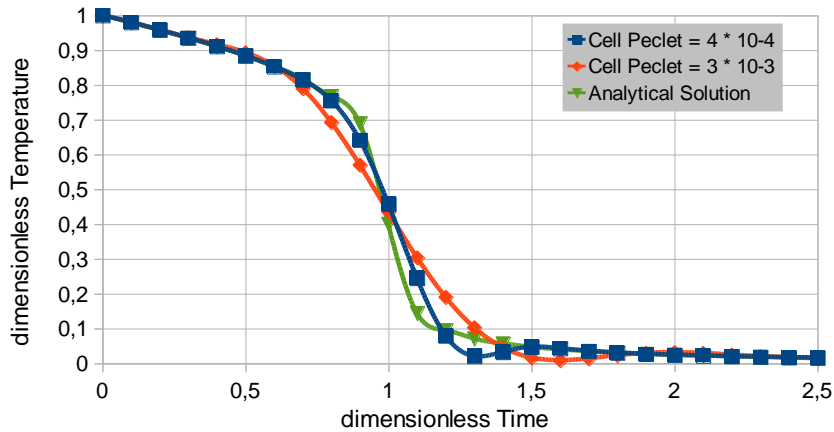
$$Pe_{cell} = \frac{\Delta l}{\alpha}$$

## Implementation in Comsol 2

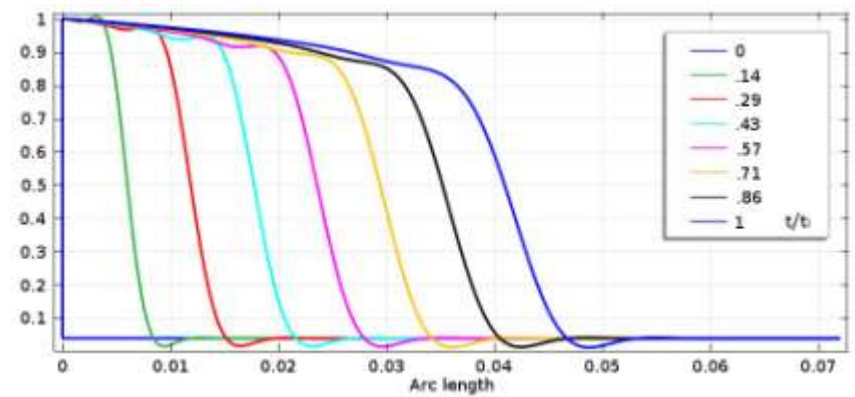
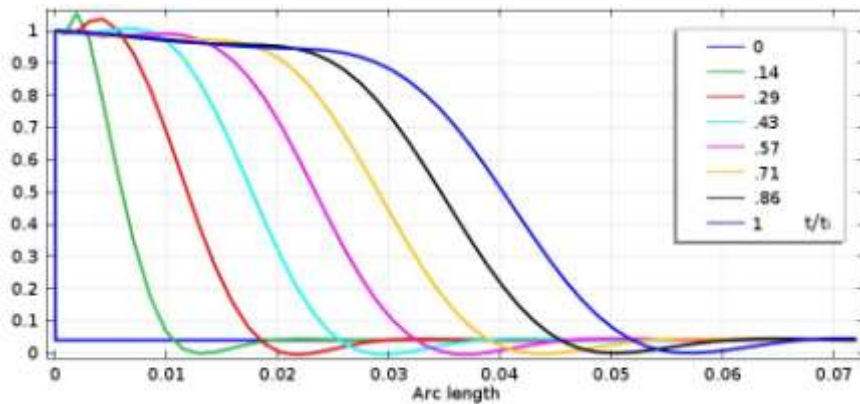
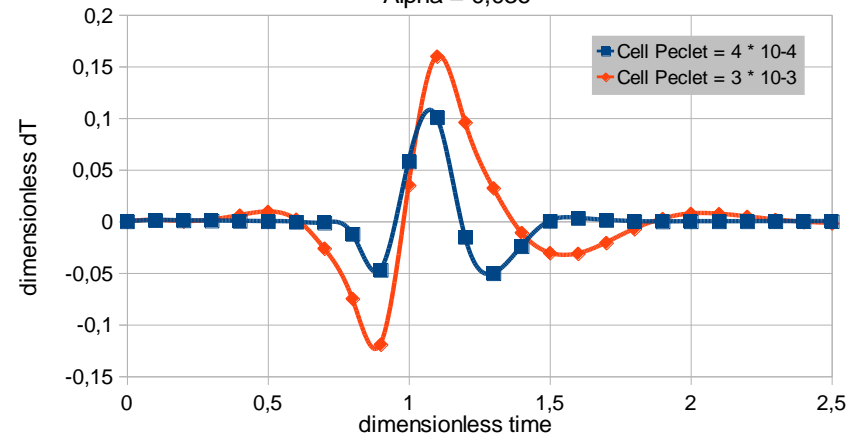


# Results 1

Alpha = 0,036



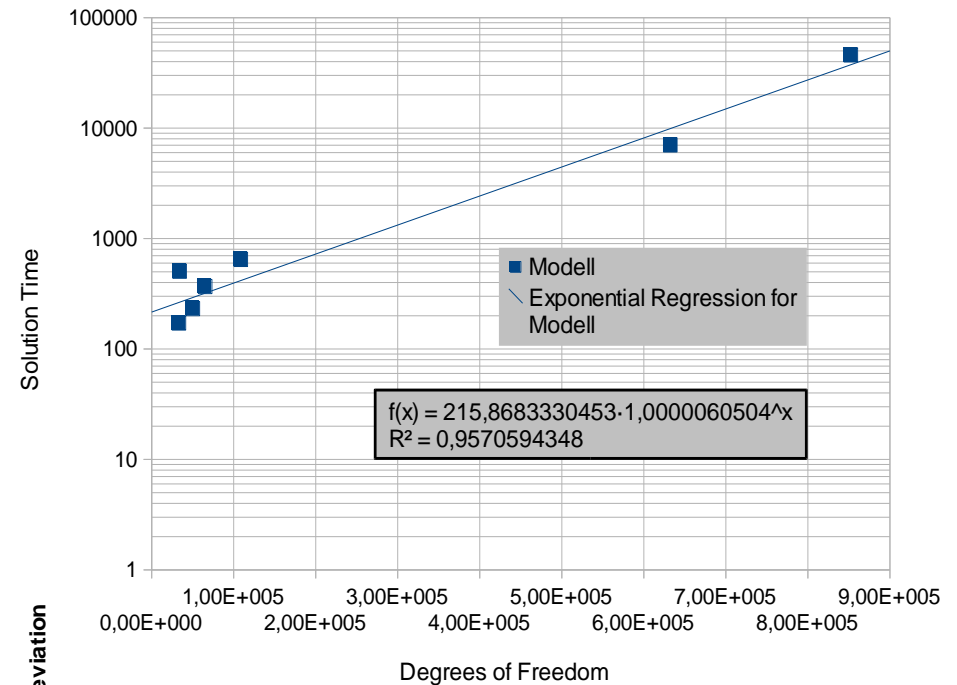
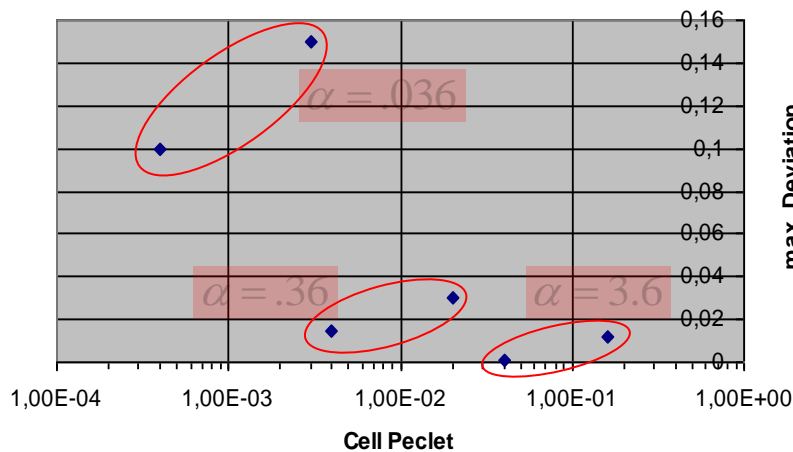
Alpha = 0,036





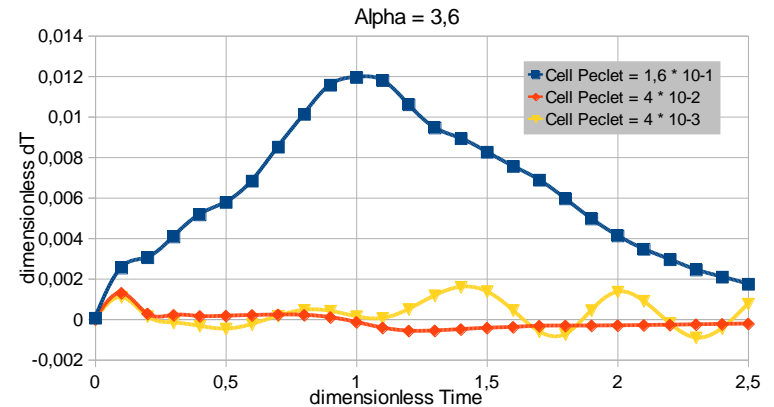
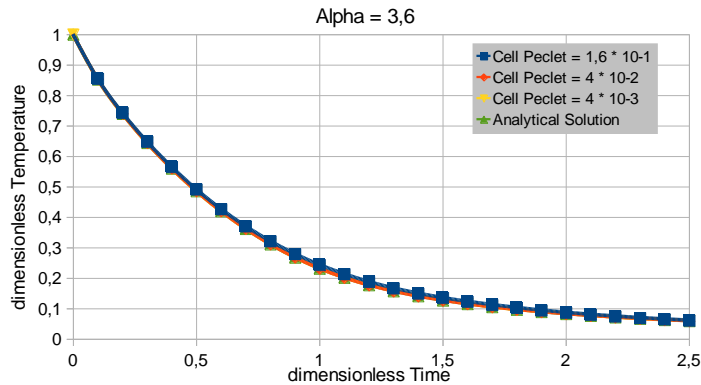
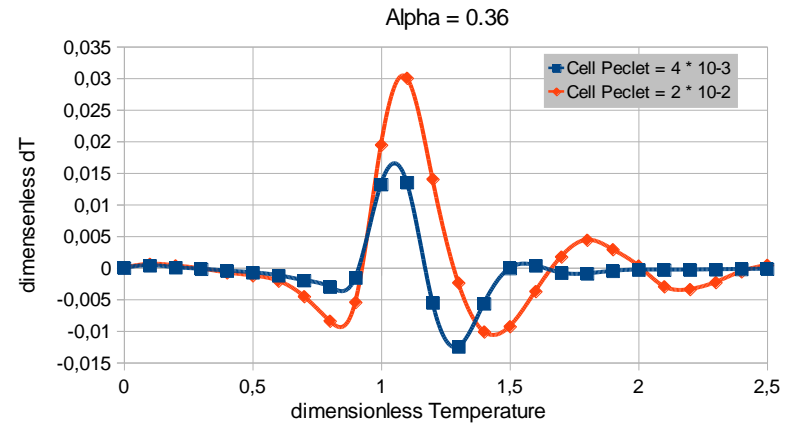
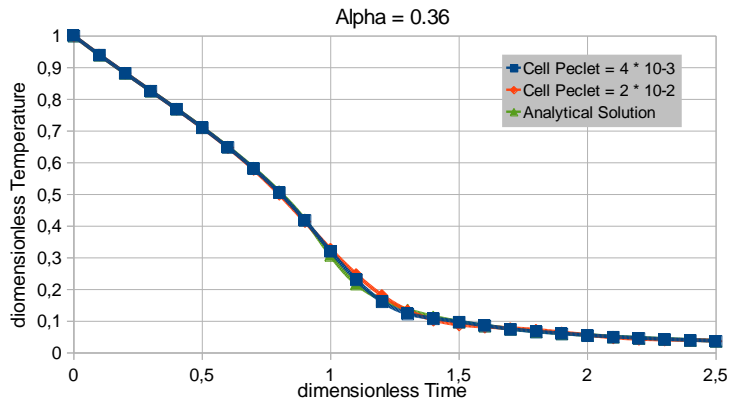
## Results 2

- Exponential increase of computational time with DOF
- Deviation increase with decreasing alpha



## Results 3

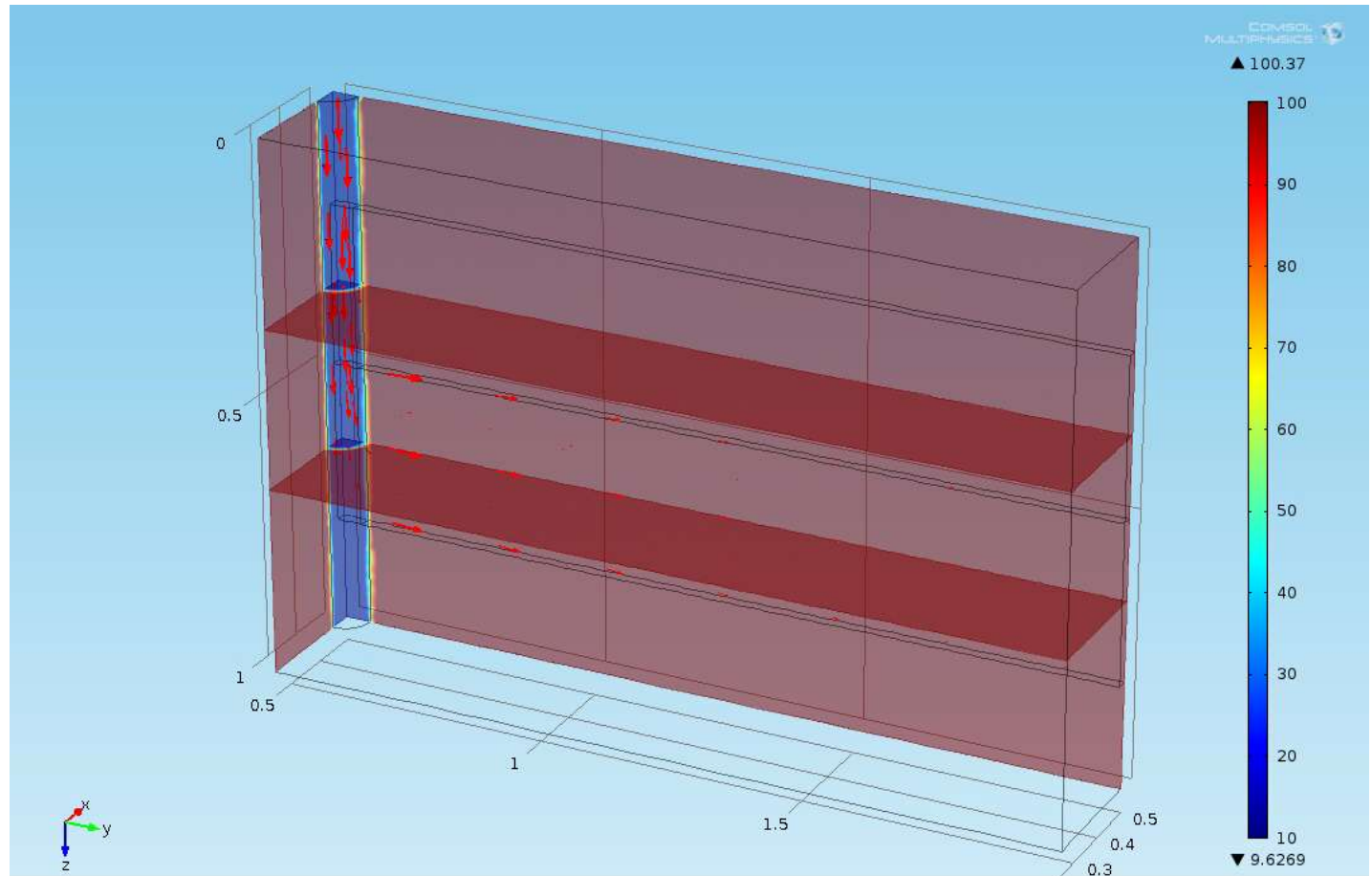
$$\alpha \propto t_i$$



## Conclusions

- Dependency error vs. cell peclet vs. alpha
- Data around the front is most heavily biased
- Computational power limits the resolution of the advancing temperature front

# Outlook





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Thank you for your attention!

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